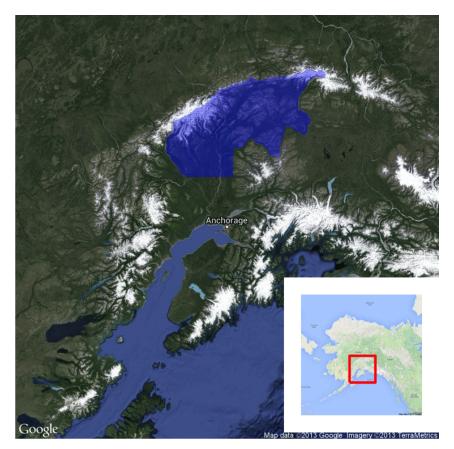
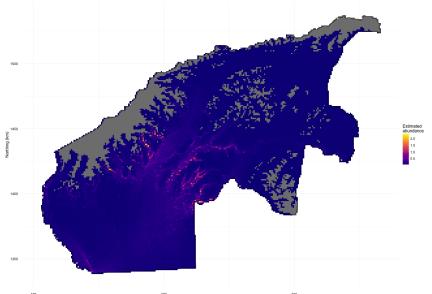
Lecture 1: distance sampling & density surface models



Why model abundance spatially?

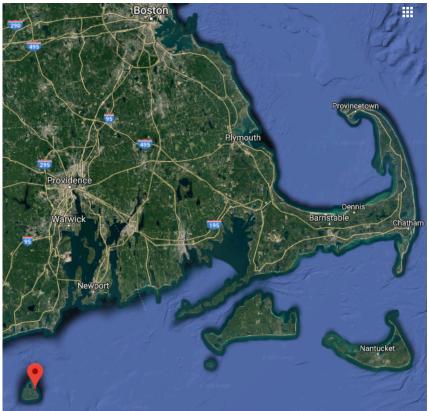
Maps

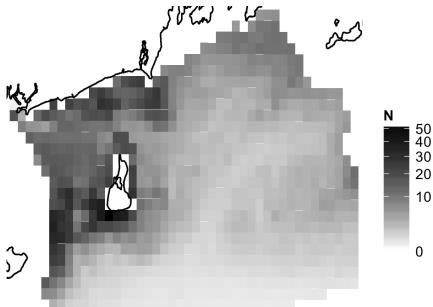




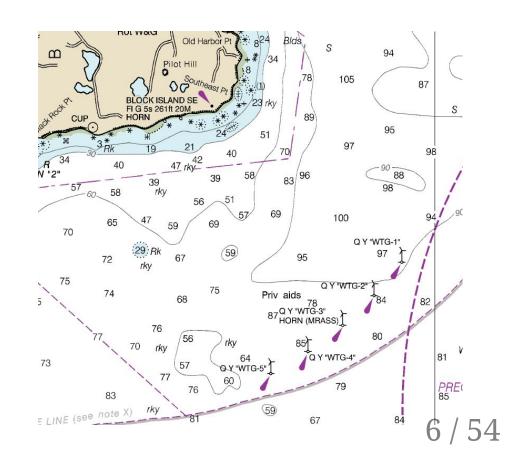
- Black bears in Alaska
- Heterogeneous spatial distribution

Spatial decision making



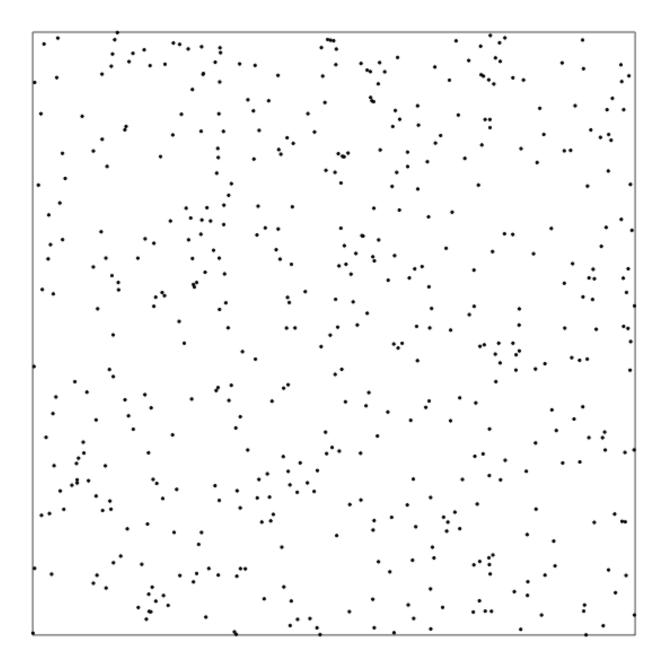


- Block Island, Rhode Island
- First offshore wind in the USA
- Spatial impact assessment

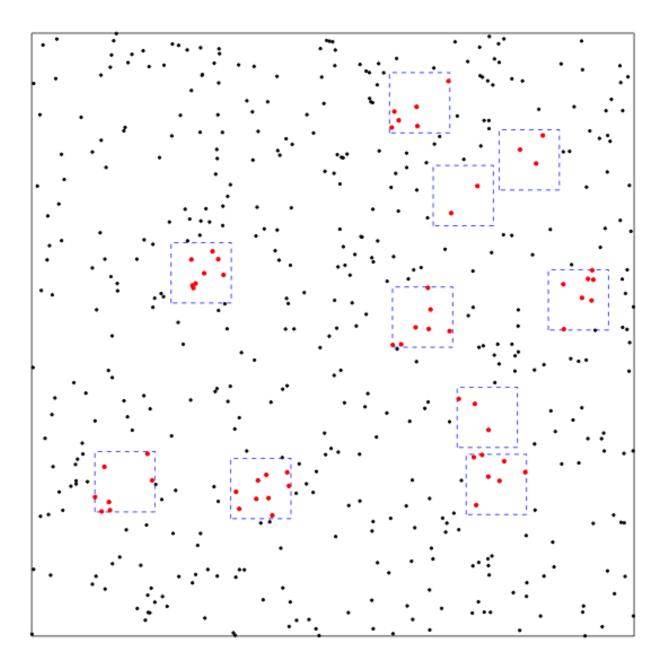


A quick tour of distance sampling

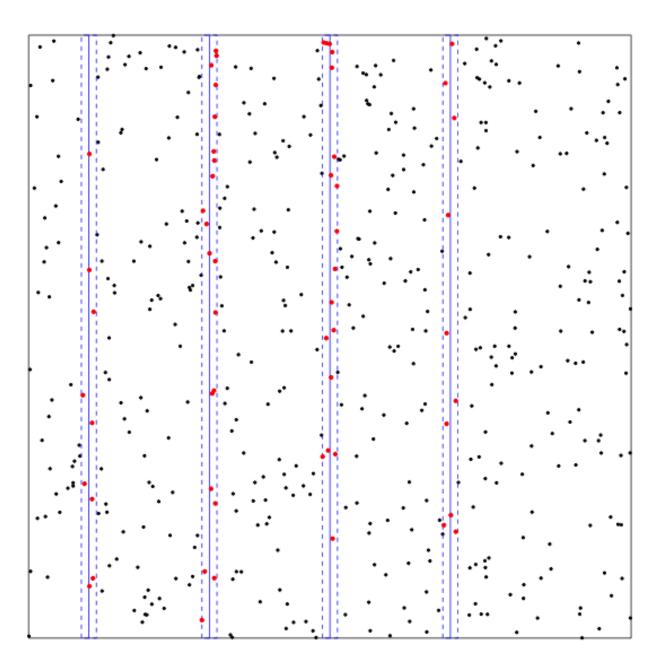
How many animals are there? (500!)



Plot sampling



Strip transect



Detectability matters!

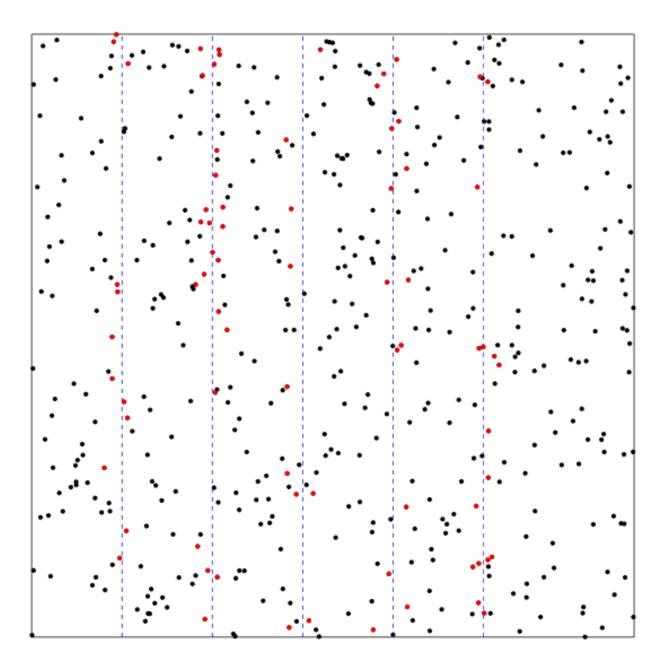
- We've assumed certain detection so far
- This rarely happens in the field
- Distance to the **object** is important
- Detectability should decrease with increasing distance

Distance and detectability

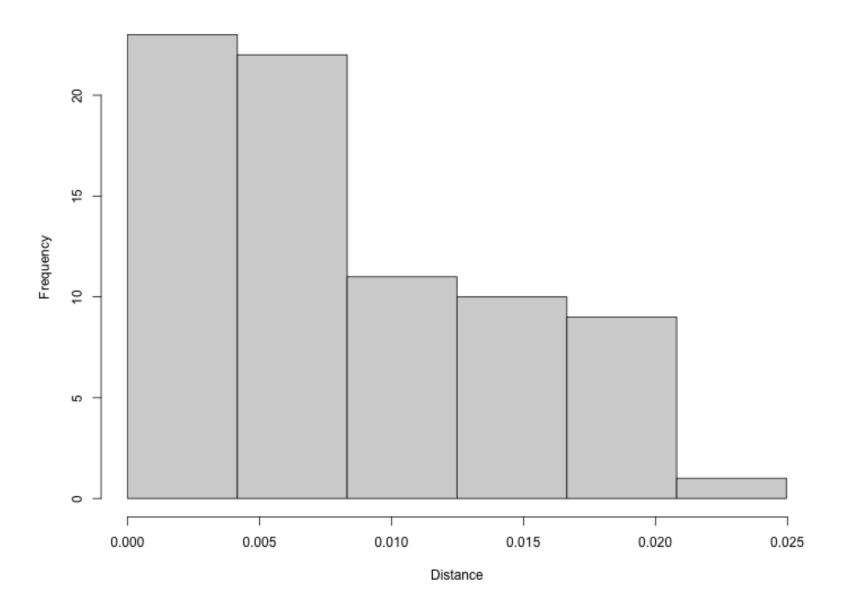


Credit Scott and Mary Flanders

Line transect



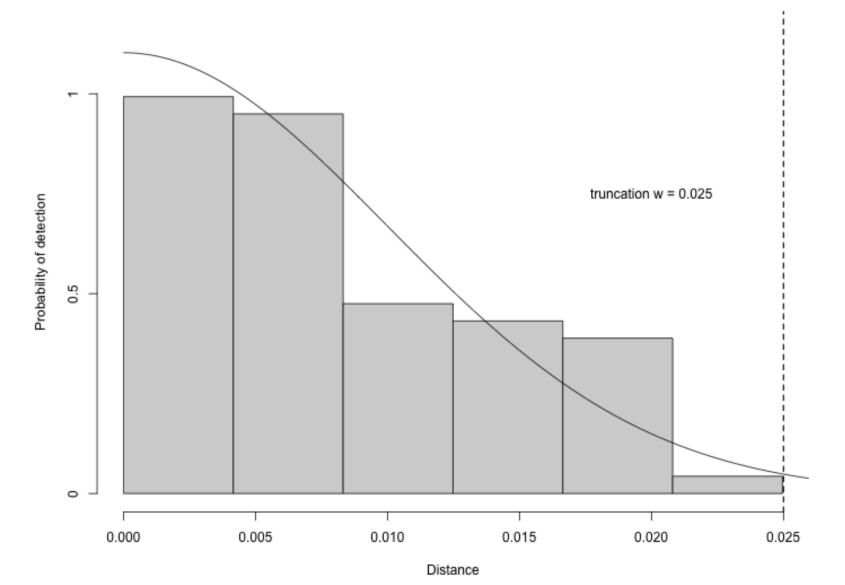
Line transects - distances



Distance sampling animation

Survey area Histogram of observed distances 35 30 25 Frequency 2 15 9 2 0 0.01 0.02 0.03 0.04 0.05 0.06 0.07 0.00 Distance

Detection function



Distance sampling estimate

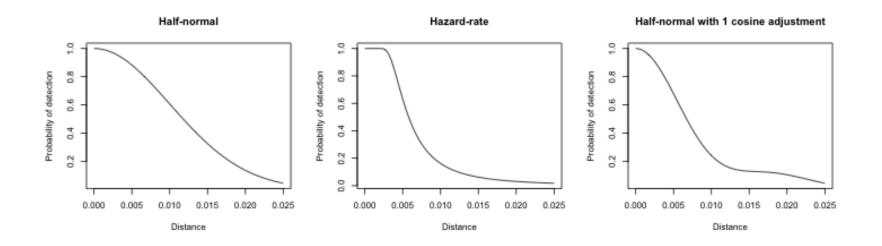
- Surveyed 5 lines (each area 1 * 2 * 0.025)
 Total covered area a = 5 * 1 * (2 * 0.025) = 0.25
- Probability of detection $\hat{p} = 0.546$
- Saw n = 76 animals
- Inflate to $n/\hat{p} = 139.198$
- Estimated density $\hat{D} = \frac{n/\hat{p}}{a} = 556.8$
- Total area A = 1
- Estimated abundance $\hat{N} = \hat{D}A = 556.8$

Distance sampling assumptions

- 1. Animals are distributed independent of lines
- 2. On the line, detection is certain
- 3. Distances are recorded correctly
- 4. Animals don't move before detection

What are detection functions?

- \mathbb{P} (detection | animal at distance x)
- (But we want \mathbb{P} (detection) = \hat{p})
- "Integrate out distance" == "area under curve" == \hat{p}
- Many different forms, depending on the data
- All share some characteristics



Fitting detection functions (in R!)

- Using the package Distance
- Function ds() does most of the work

library(Distance)
df_hn <- ds(distdata, truncation=6000)</pre>

More on this in the practical!

Horvitz-Thompson-like estimators

- Once we have \hat{p} how do we get \hat{N} ?
- Rescale the (flat) density and extrapolate

$$\hat{N} = \frac{\text{study area}}{\text{covered area}} \sum_{i=1}^{n} \frac{s_i}{\hat{p}_i}$$

- s_i are group/cluster sizes
- \hat{p}_i is the detection probability (from detection function)

Why spatial modelling? Horvitz-Thompson limitations

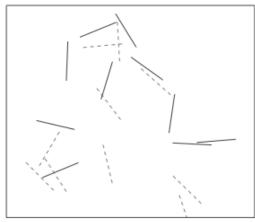
Hidden in this formula is a simple assumption

- Probability of sampling every point in the study area is equal
- Is this true? Sometimes.
- If (and only if) the design is randomised

$$\hat{N} = \frac{\text{study area}}{\text{covered area}} \sum_{i=1}^{n} \frac{s_i}{\hat{p}_i \mathbb{P}(\text{included})}$$

Many faces of randomisation

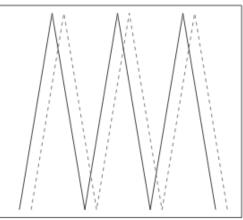
random placement



random offset parallel lines

- 1									
- 1			- I.	 1				- I.	
- 1	1	1	- I -	 1			1	- L	
- 1		1			1		1		
- 1					i i			i i	
- 1									
- 1								1	
- 1	-	1	- I -	 1	- L	-	1	- I	
- 1	1	1		 1	- L		1		
- 1		1		1					
- 1	- i -		i i	 	- i		- i -	1	
- 1					1			1	
- 1			1						
- 1		1		 1	- I.			- E	
- 1	-	1	- I -	 1	- I.	-	1	- I	
- 1	1	1		 1	- I.		1		
- 1		1		1	1		1		
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- 1		1		 1			1	1	
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- 1			i i		i i			i i	
- 1									
- 1			1					1	
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- 1		1	- I -	 1	- I.		1	- L	
- 1	1	1		 1	- E		1		
- 1	1	i i	- i -		1		i i	1	- i
- 1			- i -		- i -			1	
- 1									
- 1			1				1	1	
- 1				 	1				

random offset zigzag



Randomisation & coverage probability

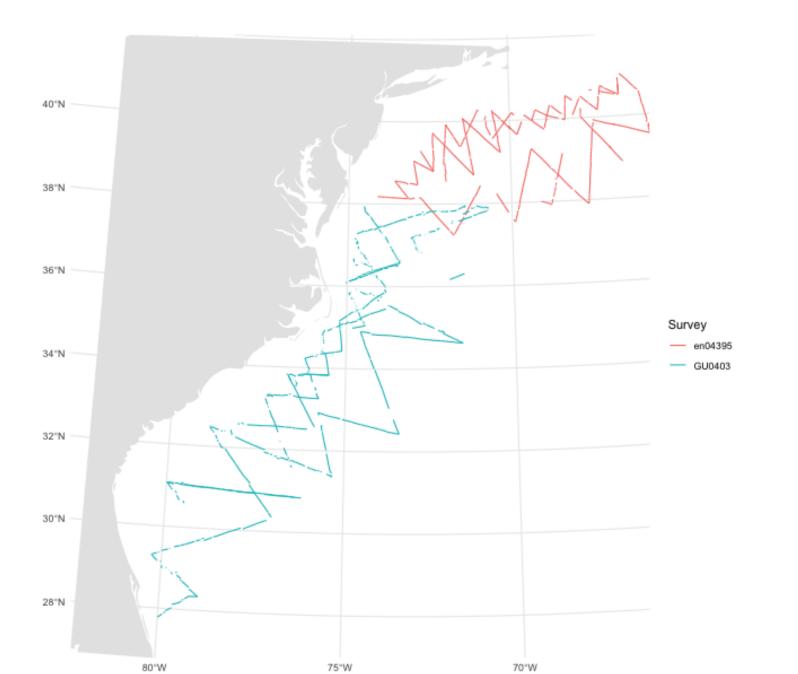
- H-T equation above assumes even coverage
- (Distance for Windows can estimate this)



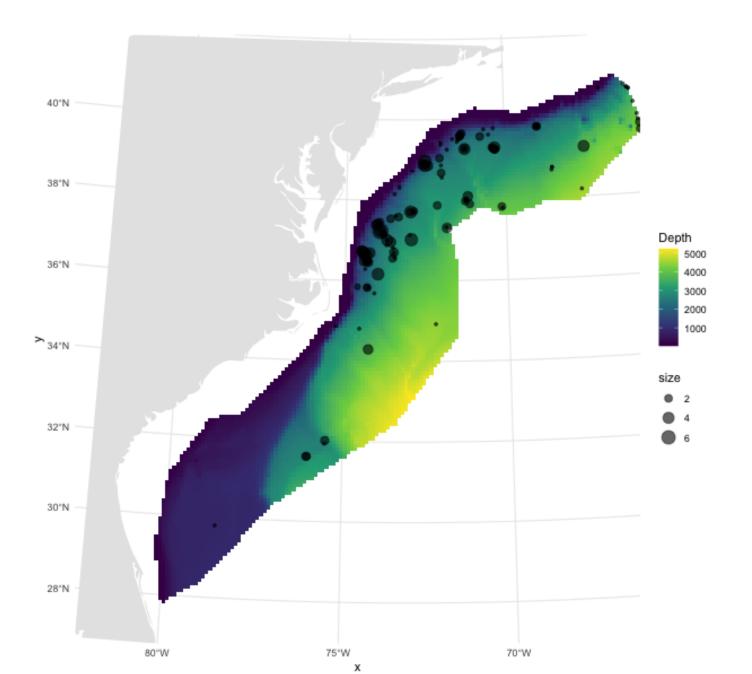


Why spatial modelling? Extra spatial information

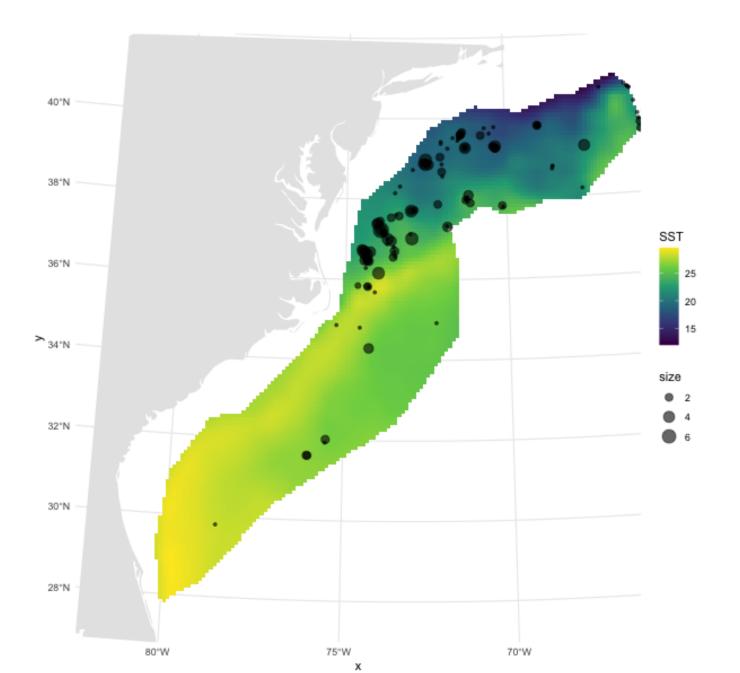
Extra information



Extra information - depth

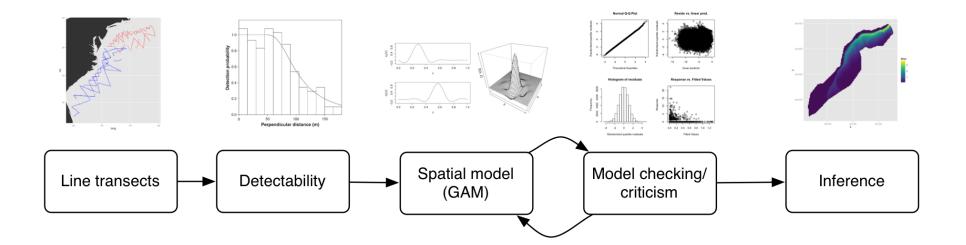


Extra information - SST



Density Surface Modelling overview

Density Surface Modelling flow diagram

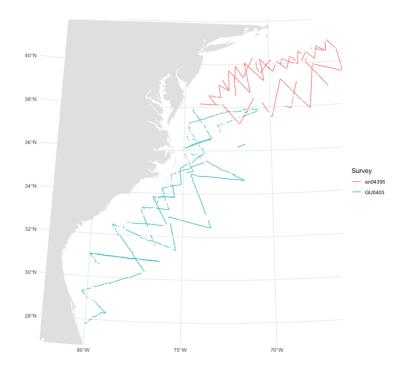


Modelling requirements

- Account for effort
- Flexible/interpretable effects
- Predictions over an arbitrary area
- Include detectability

Accounting for effort

Effort

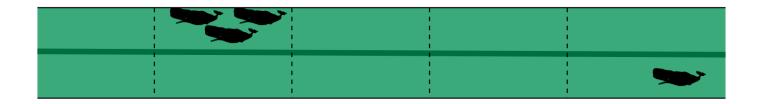


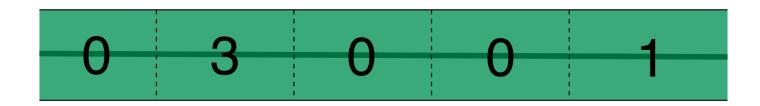
- Have transects
- Variation in counts and covars along them
- Want a sample unit w/ minimal variation
- "Segments": chunks of effort

Chopping up transects





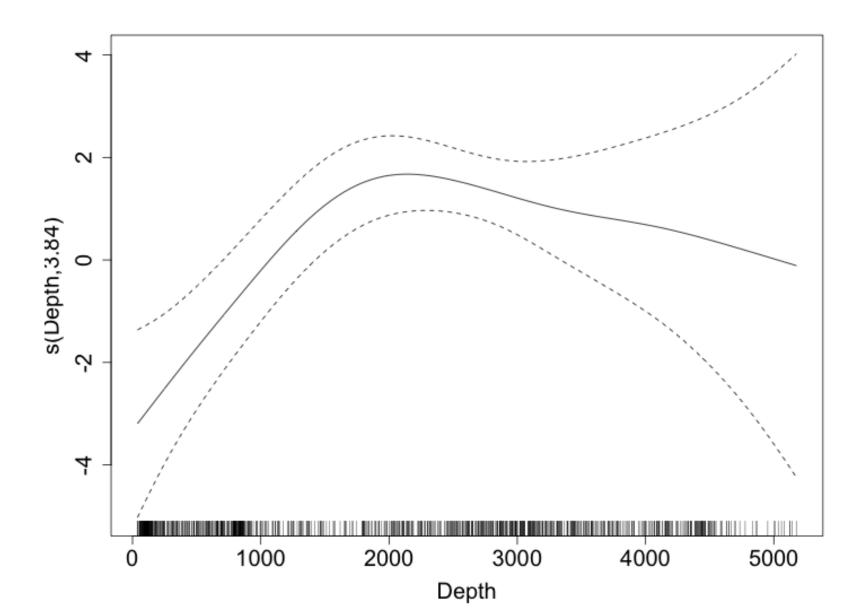




Physeter catodon by Noah Schlottman

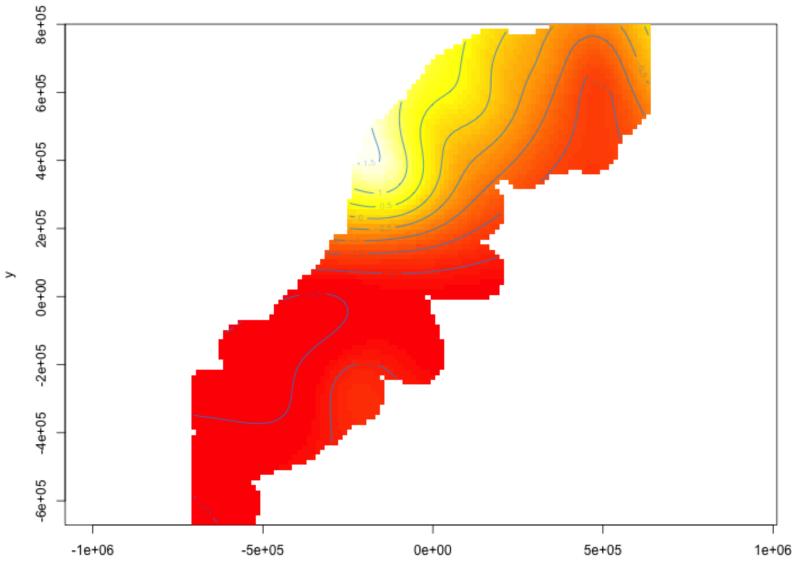
Flexible, interpretable effects

Smooth response



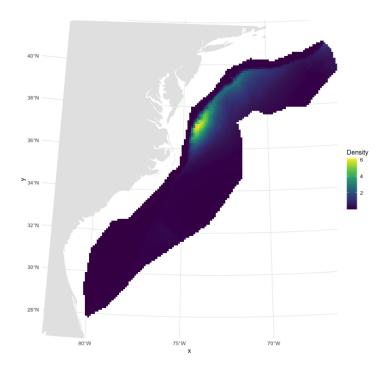
37 / 54

Explicit spatial effects



Predictions

Predictions over an arbitrary area



- Don't want to be restricted to predict on segments
- Predict within survey area
- Extrapolate outside (with caution)
- Working on a grid of cells

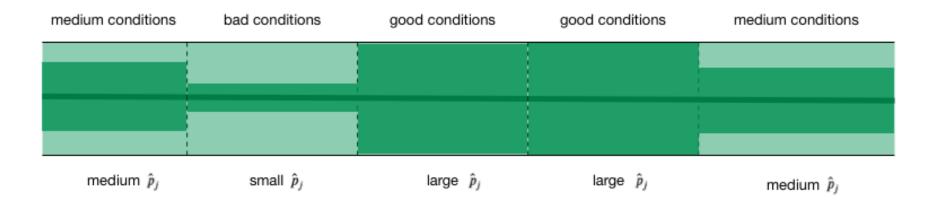
Detection information

Including detection information

- Two options:
 - adjust areas to account for **effective effort**
 - use **Horvitz-Thompson estimates** as response

Count model

- Area of each segment, A_j \circ use $A_j \hat{p}_j$
- \bigcirc effective strip width ($\hat{\mu}=w\hat{p}$)
- Response is counts per segment
- "Adjusting for effort"

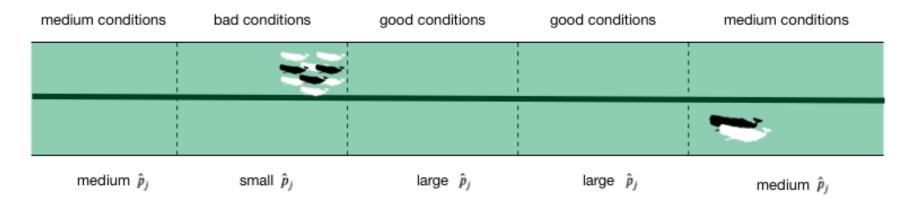


Estimated abundance

- Effort is area of each segment
- Estimate H-T abundance per segment

$$\hat{n}_j = \sum_i \frac{s_i}{\hat{p}_i}$$

(where the *i* observations are in segment *j*)



Detectability and covariates

- 2 covariate "levels" in detection function
 - "Observer"/"observation" -- change within segment
 - "Segment" -- change between segments
- "Count model" only lets us use segment-level covariates
- "Estimated abundance" lets us use either

When to use each approach?

- Generally "nicer" to adjust effort
- Keep response (counts) close to what was observed
- Unless you want observation-level covariates

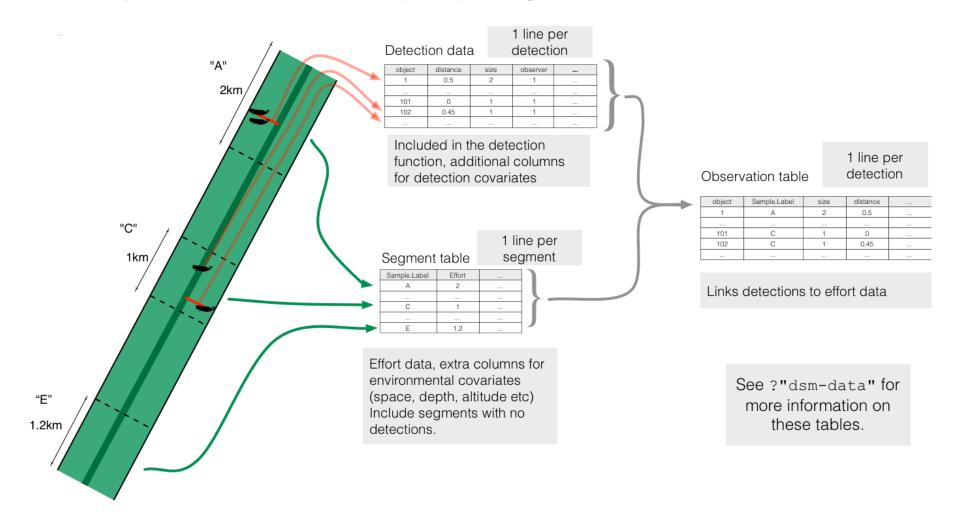
Data requirements

What do we need?

- Need to "link" data
 - Distance data/detection function
 - 🗹 Segment data
 - V Observation data (segments A detections)

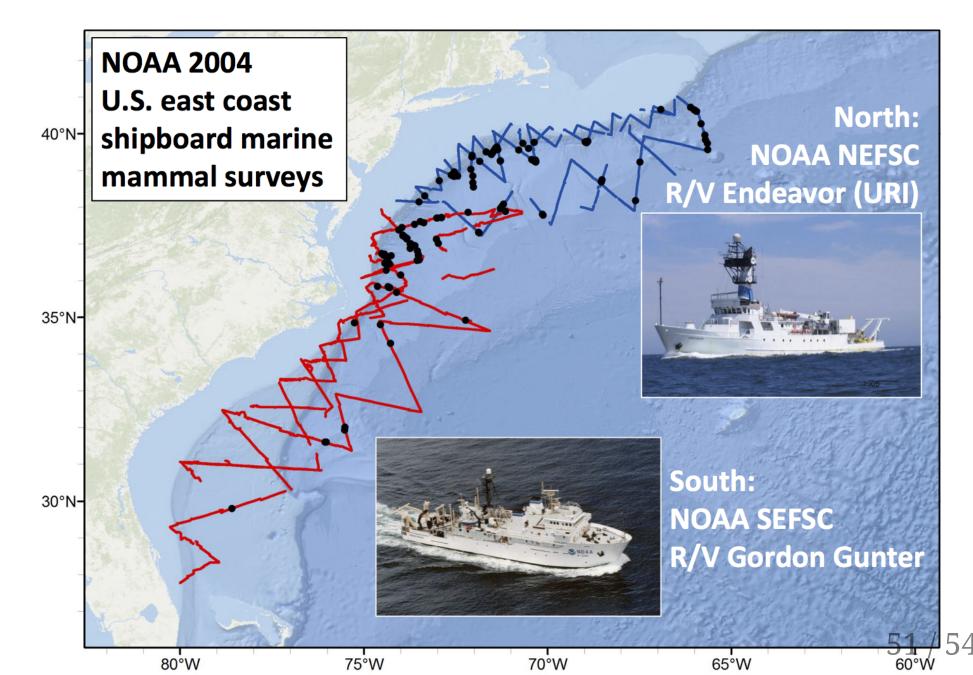
More info on course website.

Density surface model data setup for package dsm



Example data

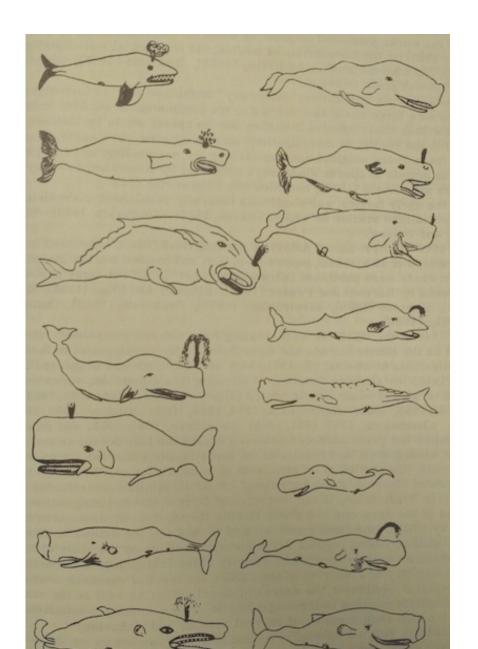
Example data



Example data



Sperm whales



- Hang out near canyons, eat squid
- Surveys in 2004, US east coast
- Thanks to Debi Palka (NOAA NEFSC), Lance Garrison (NOAA SEFSC) for data. Jason Roberts (Duke University) for data prep.

Recap

- Model counts or estimated abundance
- The effort is accounted for differently
- Flexible models are good
- Incorporate detectability
- 2 tables + detection function needed